### FEEDBACK AND GALAXY FORMATION FROM SMALL SCALES TO LARGE

Insights from Extremely Large Cosmological Simulations

Craig Booth University of Chicago  $\alpha$ Leiden Observatory

> Craig Booth, Fermilab, March 12th, 2012

WHAT DO WE UNDERSTAND? About simulating galaxy formation

- Galaxy mass function is well measured
- Structure formation: The mass function and clustering of haloes
- Galaxy formation implies that different physics is operating at different masses.
- Feedback effects. SN? AGN?



#### WHAT DO WE UNDERSTAND? About simulating galaxy formation

- Galaxy mass function is well measured
- Structure formation: The mass function and clustering of haloes
- Galaxy formation implies that different physics is operating at different masses.
- Feedback effects. SN? AGN?



#### WHAT DO WE *NOT* UNDERSTAND? About simulating galaxy formation



#### WHAT DO WE *NOT* UNDERSTAND? About simulating galaxy formation



#### OVERVIEW

- OWLS: OverWhelmingly Large Simulations
- Growing galaxies:
	- PART I: The balance between fueling and feedback
	- PART II: An example. The case of AGN.
- EAGLE: GaLaxies and their Environments

#### OWLS PEOPLE

A highly incomplete list...





Dalla Vecchia Springel Theuns Tornatore Wiersma



Bertone Crain Duffy Haas McCarthy

Sales

van de Voort

#### SIMULATIONS

Evolution from  $z > 100$  to  $z \sim 0$  of a representative part of the universe

Containing: Gas, DM, Stars (Hydro, SF, Metal enrichment, reionization, feedback, AGN, etc.)

Scales  $\sim$  kpc to  $\sim$  100 Mpc

Sub-grid modules are of vital importance...



#### Simulate what we can -- Use simple subgrid models where necessary

Physics on small scales unresolved

 $m_b = 1 \times 10^6 h^{-1} M_{\odot}$ ,  $\epsilon \le 0.5 h^{-1}$  kpc  $m_h = 9 \times 10^7 h^{-1} M_{\odot}$ ,  $\epsilon \le 2 h^{-1}$  kpc

#### New Physics Modules:

Star formation (Schaye & Dalla Vecchia 2008) SN Feedback (Dalla Vecchia & Schaye 2008) Radiative Cooling (Wiersma, Schaye & Smith 2008) Chemodynamics (Wiersma et al. 2009) AGN Feedback (Booth & Schaye 2009a)

• Cosmological (default: WMAP3) • Hydrodynamical (SPH) Gadget III  $2 \times N^3$  particles,  $N = 512$  for most • Two sets:  $L = 25$  Mpc/h to  $z=2$  $L = 100$  Mpc/h to  $z=0$ 

Gravity and hydrodynamics simulated explicitly

## THE OWLS PHILOSOPHY 1/2

- Simulate what we can -- Use *simple* subgrid models where necessary
- Physic
	-
- 

#### New Physics Modules:

- Star formation (Schaye & Dalla Vecchia 2008)
- Pref SN Feedback (Dalla Vecchia & Schaye 2008) cool Radiative Cooling Radiative Cooling (Wiersma, Schaye & Smith 2008)
- Empirical Chemodynamic Chemodynamics (Wiersma et al. 2009)
	- AGN Feedback (Booth & Schaye 2009a)
	- Preferred it physics is complex (e.g. SIN teedback, star-formation)
- Systematically test uncertainties...

## THE OWLS PHILOSOPHY 1/2

- Simulate what we can -- Use *simple* subgrid models where necessary
- Physically motivated recipe
	- Preferred if physics is well understood (radiative cooling, stellar evolution)
- Empirically motivated recipe
	- Preferred if physics is complex (e.g. SN feedback, star-formation)
- Systematically test uncertainties...

### OVERWHELMINGLY LARGE SIMULATIONS (OWLS)

- Systematically vary: Box size, mass resolution, feedback prescriptions (SNIa, SNII, AGB), refonization history, Helium reionization, stellar IMF, double IMF, properties of the ISM, star formation law, cosmology, radiative cooling, AGN
- Total of 50+ simulations, 100's of terabytes of data products



#### ONE LAST THING...

- Some of these simulations look nothing like observation. How could they possibly be useful!?
	- Simulations contain many uncertain numerical parameters. It is important to ascertain what results are robust to these uncertainties
	- By examining what pieces of physics impact certain observables we can begin to 'untangle' the galaxy formation process.

#### EXAMPLE GALAXIES



#### Disks Train wrecks



#### EXAMPLE GALAXIES



#### Disks Train wrecks



#### AND CLUSTERS... Density Metallicity



#### WHERE ARE THE BARYONS











# WHERE ARE THE BARYONS



#### PART I

#### Growing galaxies: Feeding, self regulation, stars

#### What sets the masses of galaxies? Three numerical experiments from the OWLS simulations

#### Kennicutt-Schmidt Law

 $\Sigma_{\rm SFR} \propto \Sigma_{\rm g}^n$ 

#### Normalization (x3, x6)

Slope (1.4->1.75)



Schaye & Dalla Vecchia (2008)





• No matter what you do with the star formation law (or the properties of the ISM), star formation rates do not change substantially!

Monday, March 12, 12



#### The same is true in individual haloes



Balance between fuelling and feedback



- Gas fraction adjusts to keep SFR fixed
- On large scales the SFR is independent of the SF efficiency

Balance between fuelling and feedback

 $-8.2$ LOS1 p0 • Gas fraction adjusts to x3  $8.4$  $Log(SFR/M_{gas} (yr^{-1}))$  $\_1$ p $75$ (green) keep SFR fixed  $-8.6$ The rate of star formation adjusts so that the rate of e remains constant energy output by supernovae remains constant efficiency (black, solid) **1**  $-9.2$  $-9.4$ 

> 8.0 8.5 9.0 9.5 10.010.51 1.0  $Log(M_{\sf star} \ / \ M_{\sf aas} \)$  Haas et al. (in prep)



Monday, March 12, 12



Monday, March 12, 12

Balance between fueling and feedback



Stellar masses decreased by a factor of two

SFR adjusts to keep E<sub>out</sub> fixed (through changing gas fractions)

SFR inversely proportional to SN feedback efficiency

Balance between fueling and feedback

REF<br>MILI

 $1<sub>O</sub>$ 

 $Log(M_{tot} / M_{\odot})$ 

WML∸

Stellar masses decreased by a factor of two

 $\left(\begin{array}{c} \mathsf{M}_{\mathsf{tot}} \end{array}\right)$ The rate of star formation adjusts so that the rate of the energy output by supernovae remains constant gas  $Log(M_{star}$ fractions)

13

Haas+ (in prep)

 $12$ 

SFR inversely proportional

to SN feedback efficiency

 $-0.5$ 

 $-1.0$ 

 $-2.0$ 

 $-2.5$ 

9



Wiersma+ (2009)



 $10^{\circ}$ 

 $10<sup>4</sup>$ 

 $10<sup>5</sup>$ 

 $10^6$ 

Temperature (K)

In the basic picture, gas shocks at the virial radius

Wiersma+ (2009)

 $10<sup>8</sup>$ 

 $10<sup>7</sup>$ 






 $10<sup>°</sup>$ 

 $10<sup>4</sup>$ 

 $10<sup>5</sup>$ 

 $10^6$ 

Temperature (K)

In the basic picture, gas shocks at the virial radius

Wiersma+ (2009)

 $10^8$ 

 $10<sup>7</sup>$ 

Halo specific accretion rate at  $z=2$ 



Galaxy specific accretion rate at  $z=2$ 



Metals are the dominant coolants at virial temperatures around this mass

Switching off metal cooling makes it harder for hot gas to get into galaxies



• E<sub>out</sub> is lower in this case

• With less efficient galaxy fuelling a lower Eout is sufficient to counteract inflow



## THE STORY SO FAR...

• The SFR is tightly regulated by competition between fueling (cooling) and ejection (feedback)

> 1. If the SF law is changed. SFRs stay the same, but gas fractions adjust to keep the energy output rate constant

2. If the feedback implementation is changed. SFRs adjust to keep the energy output rate constant

3. If the fueling rate changes then the SFR adjusts to reflect this

CMB & Schaye (2010)

CMB & Schaye (2011)

- Considering something different can give us insight into what scales self-regulation takes place. CMB & Schaye (2009)
- Let's consider the AGN population...

## THE STORY SO FAR...

• The SFR is tightly regulated by competition between fueling (cooling) and ejection (feedback)

1. If the SF law is changed. SFRs stay the same, but gas  $\int f + b \cdot f \cdot h \cdot d\mu \propto \int f + b \cdot f \cdot f \cdot h \cdot f$ 2010 ICCUDACK CHCI 87 OUGOU FAIG FOHAIHS UT SAHIG<br>2011 und recubacis implementation is changed. SFRs adjust to keep the energy output rate constant If the fueling rate remains the same the feedback energy output rate remains the same

#### If the fueling rate changes, the SFR adjustment of the SFR adjustmen

the feedback energy output rate adjusts accordingly

CMB & Schaye (2010)

CMB & Schaye (2011)

- Considering something different can give us insight into what scales self-regulation takes place. CMB & Schaye (2009)
- Let's consider the AGN population...

## PART II

#### What sets the masses of supermassive black holes?

## WHY AGN

#### Virtually all galaxies contain BHs

e.g. Magorrian et al. 1998



CMB & Schaye (2009a)

BHs get most of their mass through luminous accretion Soltan 1982

Various theoretical studies indicate that this energy source is cosmologically important

> Silk & Rees 1998, Springel et al. 2005; Bower et al. 2006; Somerville et al. 2008

## 1. AGN MODEL

Variant on Springel et al. 2005, Di Matteo et al. 2008

mseed mhalo,crit

εf

The model is simple and consists of three processes... • Black hole formation

- Black hole growth (mergers and gas accretion)
- AGN feedback β

$$
E_{\rm feed} = \epsilon_{\rm f} \epsilon_{\rm r} \dot{m}_{\rm BH} c^2 \Delta t
$$

Feedback efficiency is the major factor that controls the masses of BHs

#### 2. AGN MODEL



• The free parameter εf controls the total mass in BHs

• 0.15 reproduces observations.

$$
E_{\rm feed} = \epsilon_{\rm f} \epsilon_{\rm r} \dot{m}_{\rm BH} c^2 \Delta t
$$

So what does this simple model predict?

## 3. BH SCALING RELATIONS



BH mass vs stellar velocity dispersion BH mass vs stellar mass

The existence of tight stellar - BH correlations implies that BHs and galaxies evolve together

## 3. BH SCALING RELATIONS



BH mass vs stellar velocity dispersion

BH mass vs stellar mass

The existence of tight stellar - BH correlations implies that BHs and galaxies evolve together

## 3. BH SCALING RELATIONS



What about groups/clusters?

## 3. PROPERTIES OF THE BCG



Simulations without AGN feedback form far too many stars and they are too young --> SN feedback cannot prevent catastrophic cooling of gas in clusters

# 3. THE EFFECT OF AGN

- Note, these simulations were tuned *only* to match the amount of BHs, but still reproduce
	- BH-galaxy connection.
	- Thermodynamic properties of groups and clusters
	- Properties of central galaxies.
	- The drop in the global SFR below  $z\sim2$
- What can we now learn from these simulations?



Observations link BH to galaxy.

Various theoretical models use stellar bulge. BH scale. Halo.

Our simulations get the BH demographics right. What sets the masses of SMBHs?



Observations link BH to galaxy.

Various theoretical models use stellar bulge. BH scale. Halo.

Our simulations get the BH demographics right. What sets the masses of SMBHs?



Various theoretical models use stellar bulge. BH scale. Halo.

Our simulations get the BH demographics right. What sets the masses of SMBHs?



Various theoretical models use stellar bulge. BH scale. Halo.

Our simulations get the BH demographics right. What sets the masses of SMBHs?



Start with the Madau plot... ...at low z AGN suppress SF





- The free parameter εf controls the total mass in BHs
- 0.15 reproduces observations.

$$
E_{\rm feed} = \epsilon_{\rm f} \epsilon_{\rm r} \dot{m}_{\rm BH} c^2 \Delta t
$$



 $m_{BH}$ « $\epsilon_f^{-1}$ 

BHs adjust their masses to keep Eout constant

Eout is "some critical energy" for self-regulation. What does it correspond to?





At the galactic centre the gravitational potential is dominated by baryons.

What happens if they are removed?



At the galactic centre the gravitational potential is dominated by baryons.

What happens if they are removed?



#### Self regulation occurs on scales > the galaxy 4. WHAT DETERMINES THE MASSES OF SUPERMASSIVE BLACK HOLES?

• Simulated slope: 1.55±0.03



#### Self regulation occurs on scales > the galaxy 4. WHAT DETERMINES THE MASSES OF SUPERMASSIVE BLACK HOLES?



- Simulated slope: 1.55±0.03
- Observed slope: 1.55±0.31

Again, note that the only thing we tuned here was the total mass in BHs

#### 4. WHAT DETERMINES THE MASSES OF SUPERMASSIVE BLACK HOLES? Booth & Schaye 2010

• Comparing energy output by a BH to halo gravitational binding energy:

 $E_{\text{feed}} = \epsilon_{\text{f}} \epsilon_{\text{r}} \dot{m}_{\text{BH}} c^2 \Delta t$ 

$$
m_{\rm BH} \propto U \propto \frac{GM_{\rm halo}^2}{r_{\rm halo}} \propto m_{\rm halo}^{5/3}
$$
 (e.g. Silk & Rees 1998)

• For the case of an NFW halo with concentration, *c*

$$
m_{\rm BH} \propto \!\!\left(\frac{c}{\big(\ln(1+c)-c/(1+c)\big)^2}\right)\!\!\left(1-\frac{1}{(1+c\frac{r_{\rm ej}}{r_{\rm v}})^2}-\frac{2\ln(1+c\frac{r_{\rm ej}}{r_{\rm v}})}{1+c\frac{r_{\rm ej}}{r_{\rm v}}}\right)m_{\rm v}^{5/3}
$$

#### 4. WHAT DETERMINES THE MASSES OF SUPERMASSIVE BLACK HOLES? Booth & Schaye 2010

• Comparing energy output by a BH to halo gravitational binding energy:

 $E_{\text{feed}} = \epsilon_{\text{f}} \epsilon_{\text{r}} \dot{m}_{\text{BH}} c^2 \Delta t$ 

$$
m_{\rm BH} \propto U \propto \frac{G M_{\rm halo}^2}{r_{\rm halo}} \propto m_{\rm halo}^{5/3}
$$
 (e.g. Silk & Rees 1998)

• For the case of an NFW halo with concentration, *c*

$$
m_{\rm BH} \propto \left(\frac{c}{\left(\ln(1+c) - c/(1+c)\right)^2}\right) \left(1 - \frac{1}{(1+c\frac{r_{\rm ej}}{r_{\rm v}})^2} - \frac{2\ln(1+c\frac{r_{\rm ej}}{r_{\rm v}})}{1+c\frac{r_{\rm ej}}{r_{\rm v}}}\right) m_{\rm v}^{5/3} \quad \text{C} \sim \text{pn}^{-0.1} \quad \text{(e.g. Neto et al. 2007)}
$$



- Simulated slope: 1.55±0.03
- Observed slope: 1.55±0.31
- Theoretical slope: 1.56±0.05

• Comparing energy output by a BH to halo gravitational binding energy:

 $E_{\rm feed} = \epsilon_{\rm f} \epsilon_{\rm r} \dot{m}_{\rm BH} c^2 \Delta t$ 

$$
m_{\rm BH} \propto U \propto \frac{G M_{\rm halo}^2}{r_{\rm halo}} \propto m_{\rm halo}^{5/3} \eqno({\rm e.g.~Siik}~\&~\rm Rees~1998)
$$

• For the case of an NFW halo with concentration, *c*

$$
m_{\rm BH} \propto \left(\frac{c}{\left(\ln(1+c) - c/(1+c)\right)^2}\right) \left(1 - \frac{1}{(1+c\frac{r_{\rm ej}}{r_{\rm v}})^2} - \frac{2\ln(1+c\frac{r_{\rm ej}}{r_{\rm v}})}{1+c\frac{r_{\rm ej}}{r_{\rm v}}}\right) m_{\rm v}^{5/3} \quad \text{C} \sim \text{pn}^{-0.1} \quad \text{(e.g. Neto et al. 2007)}
$$

• **Prediction:** If BH mass is determined by DM halo binding energy there should be a relation between residual in the mBH-mhalo relation and halo concentration



- Simulated slope: 1.55±0.03
- Observed slope: 1.55±0.31
- Theoretical slope: 1.56±0.05

#### Correlation between  $\Delta$ mBH and *c*?
## 4. WHAT DETERMINES THE MASSES OF SUPERMASSIVE BLACK HOLES?



## 4. WHAT DETERMINES THE MASSES OF SUPERMASSIVE BLACK HOLES?



- Simulated slope: 1.55±0.03
- Observed slope: 1.55±0.31
- Theoretical slope: 1.56±0.05

#### Correlation between  $\Delta$ mBH and *c*?

## 4. WHAT DETERMINES THE MASSES OF SUPERMASSIVE BLACK HOLES?



- Simulated slope: 1.55±0.03
- Observed slope: 1.55±0.31
- Theoretical slope: 1.56±0.05

Correlation between  $\Delta$ mBH and *c*?

 $p=0.29$ ;  $p=0.9998$ 

Strong and positive!



- Sample of clusters from XMM
- Central galaxies from SDSS
- The AGN fraction does *not* know about galaxy mass

Stott et al. (incl CMB) 2012



- Sample of clusters from XMM
- Central galaxies from SDSS
- The AGN fraction does *not* know about galaxy mass

Monday, March 12, 12



• It does, however, know about halo mass.

From the above relations between AGN fraction and both galaxy and cluster properties it seems that the key parameters that govern the presence of AGN in BCGs are primarily the cluster  $\text{mass}/T_X/L_X$  and to a lesser extent the BCG offset from the cluster X-ray centroid, but not BCG mass. A picture is therefore emerging that the supermassive black holes at the centres of BCGs in cluster cores know more about their host cluster than they do about their host galaxy. While this is consistent with some simulations

Monday, March 12, 12



FIG. 3. - Black hole mass as a function of bulge mass. Thick solid line shows the mean  $M_{\bullet}-M_{\text{bulge}}$  relation from Häring & Rix (2004), whereas the thin dashed line represent the intrinsic scatter of the relation. Both NGC4342 and NGC4291 are highly significant outliers from the trend. Bogdan et al. (2012)

A major result of this paper is that both NGC4342 and NGC4291 reside in massive dark matter halos. In fact, both the black hole masses and the observed dark matter halos are typical of galaxies having stellar masses that are  $\sim$ 10 – 40 times greater, hence the characteristics of the dark matter halos are consistent with those expected for the black holes. Therefore the only truly anomalous property of NGC4342 and NGC4291 are their low stellar masses. Since the black hole mass correlates well with the halo mass, it suggests that dark matter halos may play a fundamental role in governing the black hole growth.



Figure 5: Central supermassive black hole mass versus NFW concentration parameter, showing a correlation. The green point represents data for M31, the blue point for the Milky Way and the red point shows the data for M33.

- Can estimate DM halo profiles from the stellar rotation curve
- This is difficult to do accurately, so results only exist for a few objects
- Same correlation as Seigar (2011) Predicted earlier

# CONCLUSIONS

- Star formation is tightly regulated by the interplay between:
	- The amount of available fuel (cooling and cosmology)
	- The efficiency of feedback processes
- Galaxies simply adjust their properties so that the rate of energy output is the same
- BH mass is set by the DM halo mass with a secondary dependence on halo concentration, as would be expected if BH mass were dependent upon DM halo binding energy.

### WHERE NEXT?

- OWLS weakness: it is great for exploring what physics is important; some key observables are not reproduced
- EAGLE: Use what we learned while doing OWLS
	- The intersection of simulations and semi-analytics

